G52CMP: Lecture S1

Coursework Support Lecture 1: Haskell Facilities for Programming In the Large

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This Lecture

Some Haskell facilities that are particularly helpful for large-scale programming:

- The Haskell module system
- Haskell overloading
- Labelled fields (Haskell's "record" system)

Modules in Haskell (1)

- A Haskell program consists of a set of ***modules***.
- A module contains definitions:
  - functions
  - types
  - type classes
- The top module is called `Main`:

```
module Main where

main = putStrLn "Hello World!"
```

Modules in Haskell (2)

By default, only entities defined within a module are in scope. But a module can ***import*** other modules, bringing their definitions into scope:

```
module A where
f1 x = x + x
f2 x = x + 3
f3 x = 7

module B where
import A
g x = f1 x * f2 x + f3 x
```

The Prelude

There is one special module called the ***Prelude***. It is ***imported implicitly*** into every module and contains standard definitions, e.g.:

- Basic types (`Int`, `Bool`, tuples, `[]`, `Maybe`, `...`)
- Basic arithmetic operations (`+`, `*`, `...`)
- Basic tuple and list operations (`fst`, `snd`, `head`, `tail`, `take`, `map`, `filter`, `length`, `zip`, `unzip`, `...`)

(It is possible to explicitly exclude (parts of) the Prelude if necessary.)

Qualified Names (1)

The ***fully qualified name*** of an entity `x` defined in module `M` is `M.x`.

```
g x = A.f1 x * A.f2 x + f3 x
```

Note! Different from function composition!!!
Always write function composition with spaces:

```
f . g
```

The module ***name space*** is ***hierarchical***, with names of the form $M_1 . M_2 . \ldots . M_n$. This allows related modules to be grouped together.

Qualified Names (2)

Fully qualified names can be used to resolve name clashes. Consider:

```
module A where
f x = 2 * x

module B where
f x = 3 * x
```

```
module C where
import A
import B

g x = A.f x + B.f x
```

Two ***different functions*** with the ***same unqualified name*** `f` in scope in `C`. Need to write `A.f` or `B.f` to disambiguate.

Import Variations

Another way to resolve name clashes is to be more precise about imports:

`import A (f1,f2)`	Only `f1` and `f2`
`import A hiding (f1,f2)`	Everything but `f1` and `f2`
`import qualified A`	All names from `A` imported fully qualified only.

Can be combined in all possible ways; e.g.:

```
import qualified A hiding (f1, f2)
```

Export Lists

It is also possible to be precise about what is ***exported***:

```
module A (f1, f2) where
...
```

Various abbreviations possible; e.g.:

- A type constructor along with all its value constructors
- Everything imported from a specific module

Haskell Overloading (1)

What is the type of (==)?

E.g. the following both work:

```
1 == 2
'a' == 'b'
```

I.e., (==) can be used to compare both numbers and characters.

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No!!! Cannot work uniformly for arbitrary types!

Haskell Overloading (2)

A function like the identity function

```
id :: a -> a id x = x
```

is ***polymorphic*** precisely because it works uniformly for all types: there is no need to "inspect" the argument.

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is ***polymorphic*** precisely because it works uniformly for all types: there is no need to "inspect" the argument.

In contrast, to compare two "things" for equality, they very much have to be inspected, and an ***appropriate method of comparison*** needs to be used.

Haskell Overloading (3)

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Similar remarks apply to many other types. E.g.:

- We may want to be able to add numbers of any kind
- But to add properly, we must understand what we are adding
- Not every type admits addition

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- Introduce the notion of a ***type class***: a set of types that support certain related operations.
- ***Constrain*** those operations to ***only*** work for types belonging to the corresponding class.
- Allow a type to be ***made an instance of*** (added to) a type class by providing ***type-specific implementations*** of the operations of the class.

The Type Class `Eq`

```
class Eq a where
    (==) :: a -> a -> Bool
```

`(==)` is not a function, but a ***method*** of the ***type class*** `Eq`. It's type signature is:

```
(==) :: Eq a => a -> a -> Bool
```

`Eq a` is a ***class constraint***. It says that that the equality method works for any type belonging to the type class `Eq`.

Instances of `Eq` (1)

Various types can be made instances of a type class like `Eq` by providing implementations of the class methods for the type in question:

```
instance Eq Int where
    x == y = primEqInt x y

instance Eq Char where
    x == y = primEqChar x y
```

Instances of `Eq` (2)

Suppose we have a data type:

```
data Answer = Yes | No | Unknown
```

We can make `Answer` an instance of `Eq` as follows:

```
instance Eq Answer where
    Yes     == Yes     = True
    No      == No      = True
    Unknown == Unknown = True
    _       == _       = False
```

Instances of `Eq` (3)

Consider:

```
data Tree a = Leaf a
            | Node (Tree a) (Tree a)
```

Can `Tree` be made an instance of `Eq`?

Instances of Eq (4)

Yes, for any type a that is already an instance of Eq:

```
instance (Eq a) => Eq (Tree a) where
    Leaf a1       == Leaf a2       = a1 == a2
    Node t1l t1r == Node t2l t2r = t1l == t2l
                                     && t1r == t2r
    _             == _             = False
```

Derived Instances

Instance declarations are often obvious and mechanical. Thus, for certain ***built-in*** classes (notably `Eq`, `Ord`, `Show`), Haskell provides a way to ***automatically derive*** instances, as long as

- the data type is sufficiently simple
- we are happy with the standard definitions

Thus, we can do:

```
data Tree a = Leaf a
            | Node (Tree a) (Tree a)
            deriving Eq
```

Class Hierarchy

Type classes form a hierarchy. E.g.:

```
class Eq a => Ord a where
   (<=) :: a -> a -> Bool
   ...
```

`Eq` is a superclass of `Ord`; i.e., any type in `Ord` must also be in `Eq`.

Haskell vs. OO Overloading (1)

A method, or overloaded function, may thus be understood as a family of functions where the right one is chosen depending on the types.

A bit like OO languages like Java. But the underlying mechanism is quite different and much more general. Consider `read`:

```
read :: (Read a) => String -> a
```

Note: overloaded on the ***result*** type! A method that converts from a string to ***any*** other type in class `Read`!

Haskell vs. OO Overloading (2)

```
> let xs = [1,2,3] :: [Int]
> let ys = [1,2,3] :: [Double]
> xs
[1,2,3]
> ys
[1.0,2.0,3.0]
> (read "42" : xs)
[42,1,2,3]
> (read "42" : ys)
[42.0,1.0,2.0,3.0]
> read "'a'" :: Char
'a'
```

Implementation (1)

The class constraints represent extra implicit arguments that are filled in by the compiler. These arguments are (roughly) the functions to use.

Thus, internally `(==)` is a ***higher order function*** with ***three*** arguments:

```
(==) eqF x y = eqF x y
```

Implementation (2)

An expression like

```
1 == 2
```

is essentially translated into

```
(==) primEqInt 1 2
```

Some Standard Haskell Classes (1)

```
class Eq a where
    (==), (/=) :: a -> a -> Bool

class (Eq a) => Ord a where
    compare                  :: a -> a -> Ordering
    (<), (<=), (>=), (>)     :: a -> a -> Bool
    max, min                 :: a -> a -> a

class Show a where
    show :: a -> String
```

Some Standard Haskell Classes (2)

```
class (Eq a, Show a) => Num a where
    (+), (-), (*) :: a -> a -> a
    negate        :: a -> a
    abs, signum   :: a -> a
    fromInteger   :: Integer -> a
```

Quiz: What is the type of a numeric literal like 42? `42 :: Int`? Why?

Labelled Fields (1)

Suppose we need to represent data about people:

- Name
- Age
- Phone number
- Post code

One possibility: use a tuple:

```
type Person = (String, Int, String, String)
henrik = ("Henrik", 25, "8466506", "NG92YZ")
```

Labelled Fields (2)

Problems? Well, the type does not say much about the purpose of the fields! Easy to make mistakes; e.g.:

```
getPhoneNumber :: Person -> String
getPhoneNumber (_, _, _, pn) = pn
```

or

```
henrik = ("Henrik", 25, "NG92YZ", "8466506")
```

Labelled Fields (3)

Can we do better? Yes, we can introduce a new type with ***named fields***:

```
data Person = Person {
                name     :: String,
                age      :: Int,
                phone    :: String,
                postcode :: String
              }
            deriving (Eq, Show)
```

Labelled Fields (4)

Labelled fields are just “syntactic sugar”: the defined type really is this:

```
data Person = Person String Int String String
```

and can be used as normal.

However, additionally, the field names can be used to facilitate:

- Construction
- Update
- Selection
- Pattern matching

Construction

We can construct data without having to remember the field order:

```
henrik = Person {
                  age = 25,
                  name = "Henrik",
                  postcode = "NG92YZ",
                  phone = "8466506"
                }
```

Update (1)

Fields can be “updated”, creating new values from old:

```
> henrik { phone = "1234567" }
Person {name = "Henrik", age = 25,
phone = "1234567",
postcode = "NG92YZ"}
```

Note: This is a ***functional*** “update”! The old value is left intact.

Update (2)

How does “update” work?

```
henrik { phone = "1234567" }
```

gets translated to something like this:

```
f (Person a1 a2 _ a4) =
    Person a1 a2 "1234567" a4

f henrik
```

Selection

We automatically get a ***selector function*** for each field:

```
name     :: Person -> String
age      :: Person -> Int
phone    :: Person -> String
postcode :: Person -> String
```

For example:

```
> name henrik
"Henrik"
> phone henrik
"8466506"
```

Pattern matching

Field names can be used in pattern matching, allowing us to forget about the field order and pick ***only*** fields of interest.

```
phoneAge (Person {phone = p, age = a}) =
    p ++ ": " ++ show a
```

This facilitates adding new fields to a type as most of the pattern matching code usually can be left unchanged.

Multiple Value Constructors (1)

```
data Being = Person {
                name     :: String,
                age      :: Int,
                phone    :: String,
                postcode :: String
             }
           | Alien {
                name       :: String,
                age        :: Int,
                homeworld  :: String
             }
           deriving (Eq, Show)
```

Multiple Value Constructors (2)

It is OK to have the same field labels for different constructors as long as their types agree.

Distinct Field Labels for Distinct Types

It is ***not*** possible to have the same field names for ***different*** types! The following does not work:

```
data X = MkX { field1 :: Int }

data Y = MkY { field1 :: Int, field2 :: Int }
```

One work-around: use a prefix convention:

```
data X = MkX { xField1 :: Int }

data Y = MkY { yField1 :: Int, yField2:: Int }
```

Advantages of Labelled Fields

- Makes intent clearer.
- Allows construction and pattern matching without having to remember the field order.
- Provides a convenient update notation.
- Allows to focus on specific fields of interest when pattern matching.
- Addition or removal of fields only affects function definitions where these fields really are used.