Switched-on Yampa: Programming Modular Synthesizers in Haskell MGS Christmas Seminar 2007

Henrik Nilsson and George Giorgidze

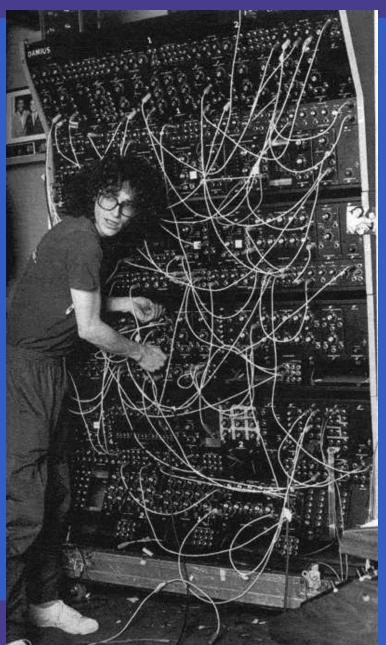
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Modular synthesizers?

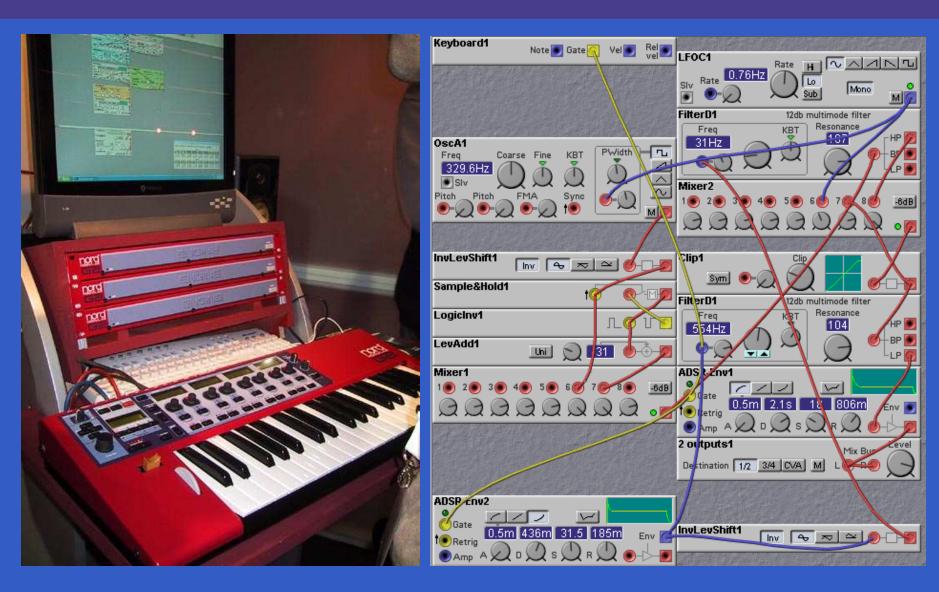
Modular synthesizers?



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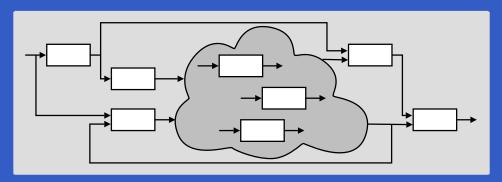
Modern Modular Synthesizers



Domain-specific language embedded in Haskell for programming *hybrid* (mixed discrete- and continuous-time) systems.

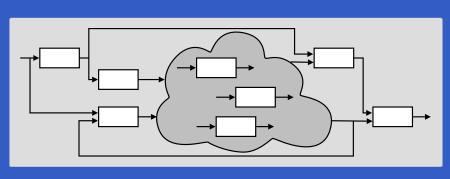
- Domain-specific language embedded in Haskell for programming hybrid (mixed discrete- and continuous-time) systems.
- Key concepts:
 - Signals: time-varying values
 - Signal Functions: functions on signals
 - Switching between signal functions

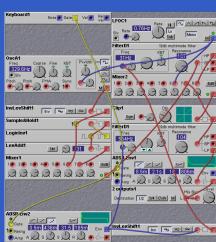
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- Programming model:



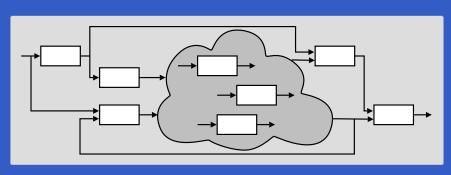
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 Thus interesting to explore a hybrid approach to programming music and musical applications.

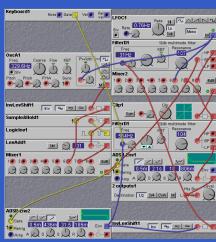
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Fun application! Useful for teaching?

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- Additional supporting infrastructure:
 - Input: MIDI files (musical scores), keyboard
 - Output: audio files (.wav), sound card
 - Reading SoundFont files (instrument definitions)

Framework for programming modular synthesizers in Yampa:

- Sound-generating and sound-shaping modules
- Additional supporting infrastructure:
 - Input: MIDI files (musical scores), keyboard
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 - Reading SoundFont files (instrument definitions)
- Status: proof-of-concept, but decent performance.





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f :: SF\ T1\ T2
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```

Additionally, *causality* required: output at time t must be determined by input on interval [0, t].

Yampa: Related languages

FRP/Yampa related to:

- Synchronous dataflow languages, like Esterel, Lucid Synchrone.
- Modeling languages, like Simulink, Modelica.

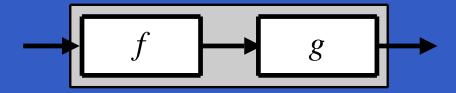
Yampa: Programming (1)

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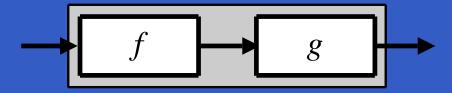
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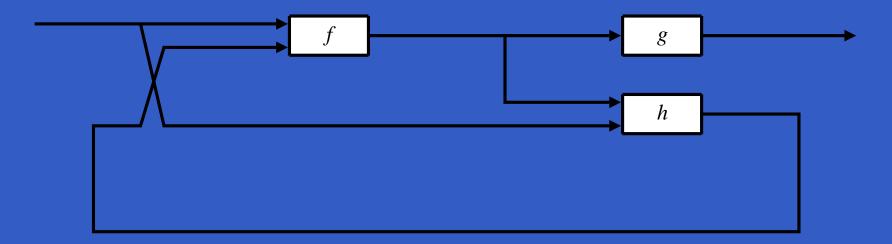


A *combinator* can be defined that captures this idea:

$$(\gg):: SF \ a \ b \rightarrow SF \ b \ c \rightarrow SF \ a \ c$$

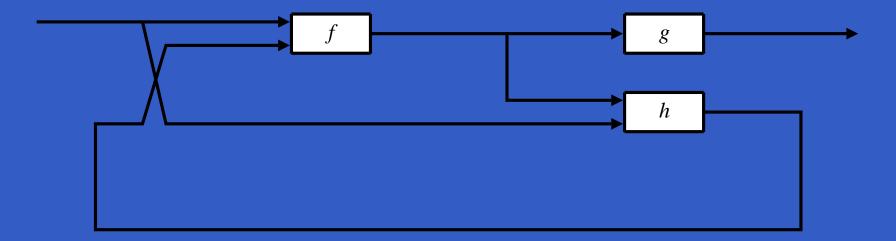
Yampa: Programming (2)

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How many combinators are needed?



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John Hughes's *Arrow* framework provides a good answer!

Yampa: The Arrow framework (1)

$$arr f$$

$$f \gg g$$

$$first f$$

$$loop f$$

$$arr :: (a \rightarrow b) \rightarrow SF \ a \ b$$

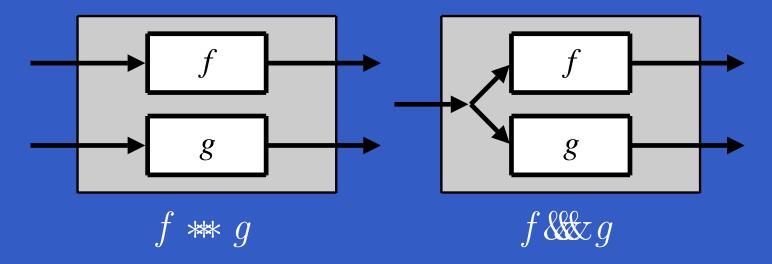
$$(\gg) :: SF \ a \ b \rightarrow SF \ b \ c \rightarrow SF \ a \ c$$

$$first :: SF \ a \ b \rightarrow SF \ (a, c) \ (b, c)$$

$$loop :: SF \ (a, c) \ (b, c) \rightarrow SF \ a \ b$$

Yampa: The Arrow framework (2)

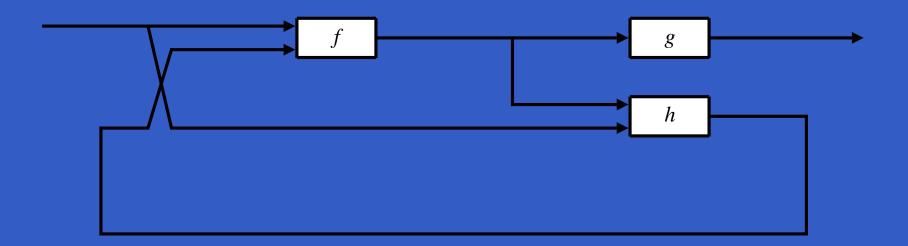
Some derived combinators:



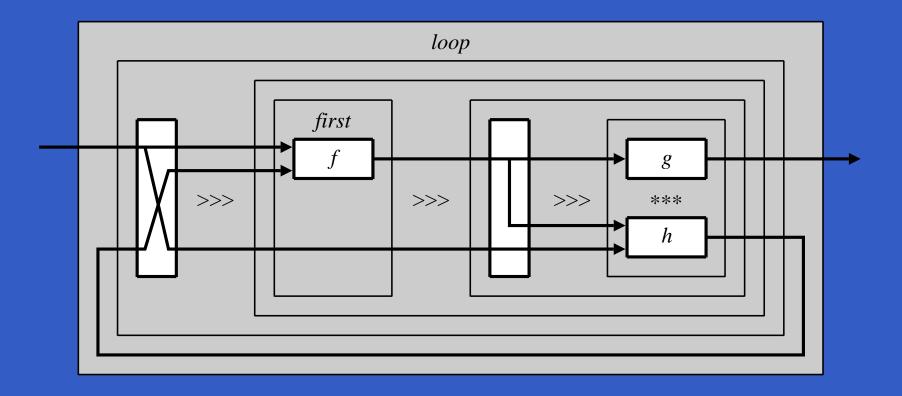
$$(***) :: SF \ a \ b \rightarrow SF \ c \ d \rightarrow SF \ (a,c) \ (b,d)$$

$$(\&\&\&) :: SF \ a \ b \rightarrow SF \ a \ c \rightarrow SF \ a \ (b,c)$$

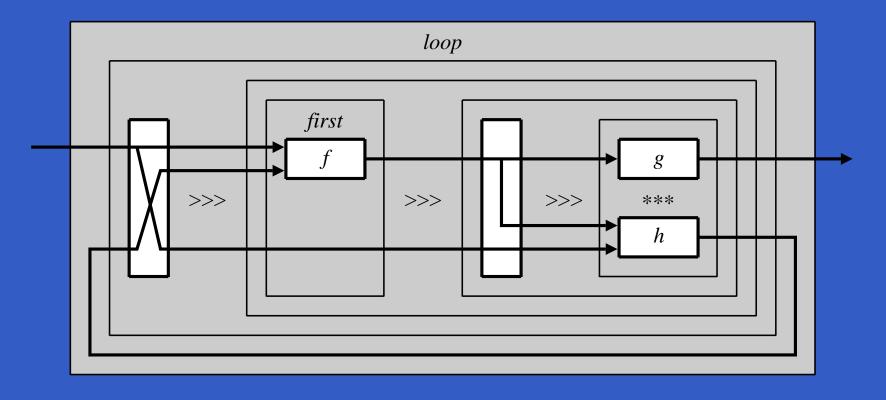
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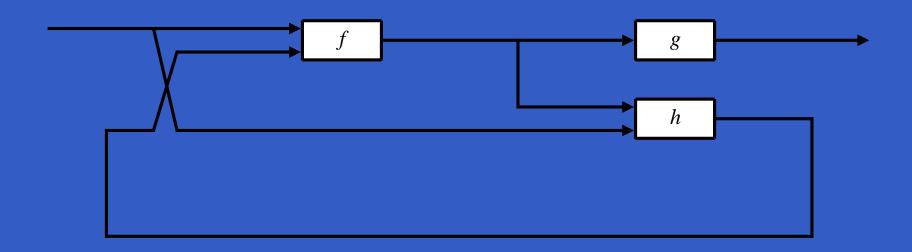
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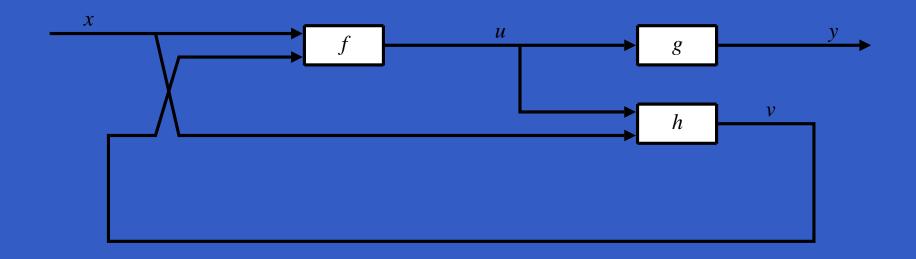
loop
$$(arr (\lambda(x, y) \rightarrow ((x, y), x))$$

 $\gg (first f)$
 $\gg (arr (\lambda(x, y) \rightarrow (x, (x, y))) \gg (g * h))))$

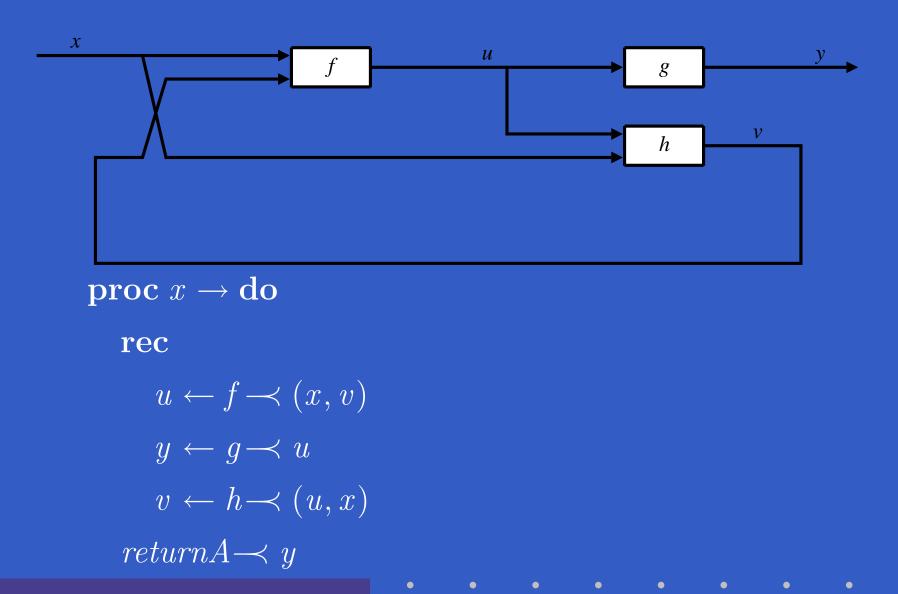
Yampa: Paterson's Arrow notation



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Yampa: Discrete-time signals

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Yampa models discrete-time signals by lifting the *co-domain* of signals using an option-type:

 $\mathbf{data} \; Event \; a = NoEvent \mid Event \; a$

Example:

 $repeatedly :: Time \rightarrow b \rightarrow SF \ a \ (Event \ b)$

Yampa: Switching

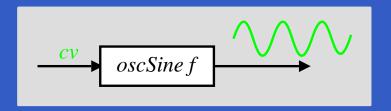
The structure of a Yampa system may evolve over time. This is expressed through *switching* primitives.

Example:

$$switch :: SF \ a \ (b, Event \ c) \rightarrow (c \rightarrow SF \ a \ b)$$

 $\rightarrow SF \ a \ b$

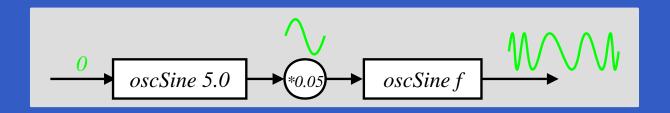
Example 1: Sine oscillator



$$oscSine :: Frequency \rightarrow SF \ CV \ Sample$$
 $oscSine \ f0 = \mathbf{proc} \ cv \rightarrow \mathbf{do}$
 $\mathbf{let} \ f = f0 * (2 ** cv)$
 $phi \leftarrow integral \prec 2 * pi * f$
 $returnA \prec sin \ phi$

 $constant 0 \gg oscSine 440$

Example 2: Vibrato



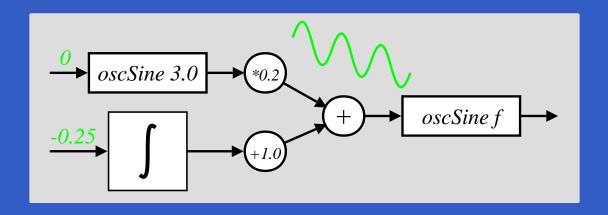
constant 0

$$\gg oscSine 5.0$$

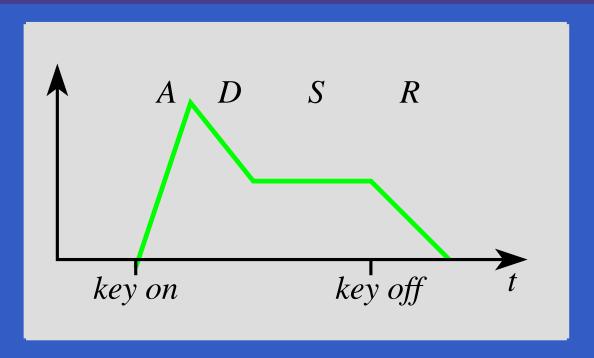
$$\gg arr (*0.05)$$

$$\gg oscSine~440$$

Example 3: 50's Sci Fi



Envelope Generators (1)



$$envGen :: CV \rightarrow [(Time, CV)] \rightarrow (Maybe\ Int)$$

$$\rightarrow SF\ (Event\ ())\ (CV, Event\ ())$$

$$envEx = envGen\ 0\ [(0.5, 1), (0.5, 0.5), (1.0, 0.5), (0.7, 0)]$$

$$(Just\ 3)$$

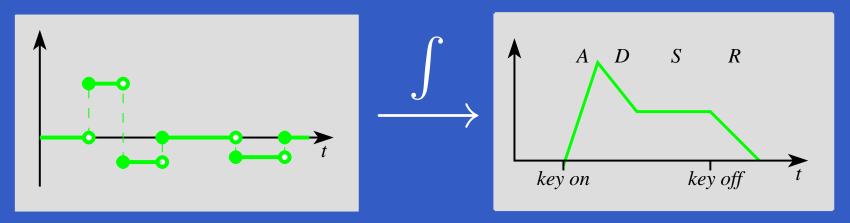
Envelope Generators (2)

How to implement?

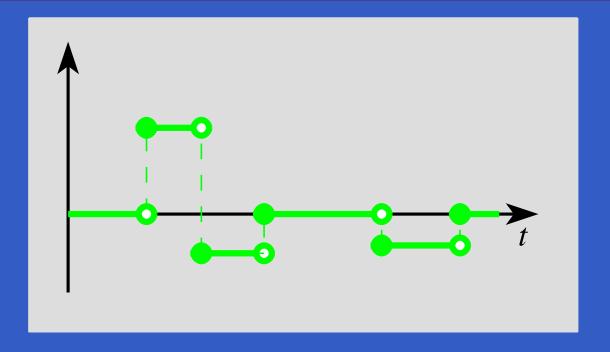
Envelope Generators (2)

How to implement?

Integration of a step function yields suitable shapes:



Envelope Generators (3)



$$afterEach :: [(Time, b)] \rightarrow SF \ a \ (Event \ b)$$

$$hold \qquad :: a \rightarrow SF \ (Event \ a) \ a$$

$$steps = afterEach \ [(0.7, 2), (0.5, -1), (0.5, 0), (1, -0.7), (0.7, 0)]$$

$$\gg hold \ 0$$

Envelope Generators (4)

Envelope generator with predetermined shape:

$$envGenAux :: CV \rightarrow [(Time, CV)] \rightarrow SF \ a \ CV$$

 $envGenAux \ l0 \ tls = afterEach \ trs \gg hold \ r0$
 $\gg integral \gg arr \ (+l0)$

where

 $(r\theta, trs) = toRates \ l\theta \ tls$

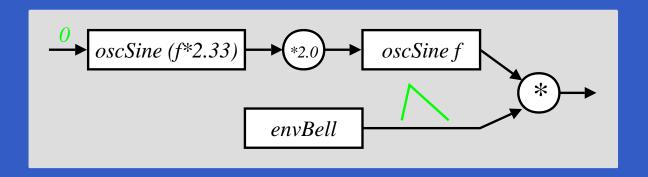
Envelope Generators (5)

Envelope generator responding to key off:

 $(tls1, tls2) = splitAt \ n \ tls$

```
envGen :: CV \rightarrow [(Time, CV)] \rightarrow (Maybe\ Int)
               \rightarrow SF \ (Event \ ()) \ (CV, Event \ ())
envGen\ l0\ tls\ (Just\ n) =
   switch (\mathbf{proc} \ noteoff \rightarrow \mathbf{do})
                l \leftarrow envGenAux l0 tls1 \rightarrow ()
                returnA \longrightarrow ((l, noEvent), noteoff `tag` l))
             (\lambda l \rightarrow envGenAux \ l \ tls2)
                \&xafter (sum (map fst tls2)) ())
   where
```

Example 4: Bell



```
bell:: Frequency \rightarrow SF () (Sample, Event)

bell f = \mathbf{proc} () \rightarrow do

m \leftarrow oscSine \ (2.33 * f) \rightarrow 0

audio \leftarrow oscSine \ f \rightarrow 2.0 * m

(ampl, end) \leftarrow envBell \rightarrow noEvent

returnA \rightarrow (audio * ampl, end)
```

Example 5: Tinkling Bell

```
tinkle :: SF () Sample
tinkle = (repeatedly \ 0.25 \ 84)
\gg constant ()
\&\&xarr (fmap (bell \circ midiNoteToFreq))
\gg rSwitch (constant \ 0))
```

Example 6: Playing a C-major scale

```
scale :: SF () Sample
scale = (afterEach \ [(0.0, 60), (2.0, 62), (2.0, 64),
                      (2.0,65), (2.0,67), (2.0,69),
                      (2.0,71),(2.0,72)
          \gg constant ()
              (288x arr (fmap (bell \circ midiNoteToFreq)))
          \gg rSwitch (constant 0)
        **xafter 16 ()
```

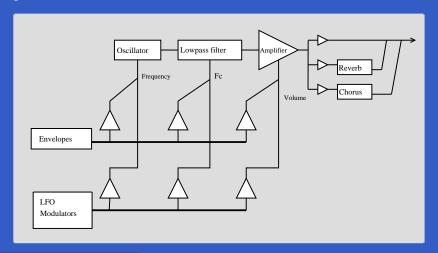
Example 7: Playing simultaneous notes

A polyphonic synthesizer (1)

Sample-playing monophnic synthesizer:

- Read samples (instrument recordings) from SoundFont file into internal table.
- Oscillator similar to sine oscillator, except sine func. replaced by table lookup and interpolation.

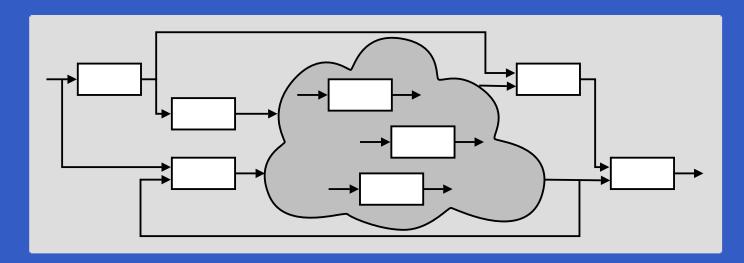
SoundFont synthesizer structure:



A polyphonic synthesizer (2)

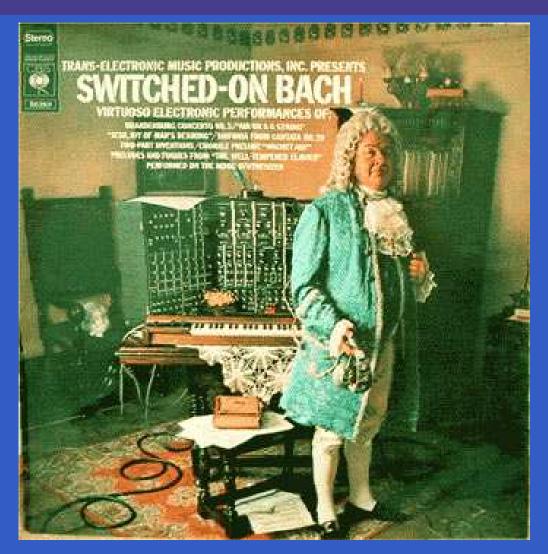
Exploit Yampa's switching capabilities to:

- create and switch in a mono synth instance is response to each note on event;
- switch out the instance in response to a corresponding note off event.



Switched-on Yampa?

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Software and paper: www.cs.nott.ac.uk/~ggg