# LiU-FP2016: Lecture 1

*Review of Haskell: A lightening tour in 90 minutes* 

Partly adapted from slides by Graham Hutton

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# What is a Functional Language? (1)

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Which functional languages are you aware of?

Surprisingly hard to give a precise definition. One reasonable if pragmatic view:

- Functional programming is a *style* of programming in which the basic method of computation is function application.
- A functional language is one that *supports* and *encourages* the functional style.

(Another, complementary perspective later.)

#### This Lecture (1)

Review of basic Haskell features and concepts:

- Recap of much of the first few chapters of Learn You a Haskell. Your chance to:
  - ask questions
  - catch up :-)
- Introduce you to some additional features that we will use or are generally useful.

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Point out some common pitfalls

#### What Is a Functional Language? (2)

This "definition" covers:

- Pure functional languages: no side effects
  - (Weakly) declarative: equational reasoning valid (with care); *referentially transparent*.
  - Examples: Haskell, Agda, Idris, Elm
- Mostly functional languages: some side effects
  - Equational reasoning valid for pure fragments.
  - Examples: ML, OCaml, Scheme, Erlang
- Arguably even covers *multi-paradigm* languages
  - Examples: F#, Scala, JavaScript

## **Example: Computing Sums (1)**

Summing the integers from 1 to 10000 in Java:

```
total = 0;
for (i = 1; i <= 10000; ++i)
    total = total + 1;
```

The method of computation is to *execute operations in sequence*, in particular *variable assignment*.

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# **Example: Computing Sums (3)**

Some reasons not to adopt the "functional approach" in Java:

- Syntactically awkward (even given suitable library definitions)
- Temporarily creating a list of 10000 integers just to add them seems highly objectionable; not good Java style.

But isn't the second point a good argument against the "functional approach" in *general*?

#### **Example: Computing Sums (2)**

Summing the integers from 1 to 10000 in the functional language Haskell:

sum [1..10000]

The method of computation is *function application*.

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Of course, essentially the same program could be written in, say, Java. Does that make Java a functional language? *Discuss!* 

#### **Example: Computing Sums (4)**

#### Actually, no!

• Nothing says the entire list needs to be created at once.

In *lazy* languages, like Haskell, the list will be generated as needed, element by element.

• Nothing says the list needs to be created at all!

Compilers for functional languages, thanks to equational reasoning being valid, are often able to completely *eliminate* intermediate data structures.

## **Example: Computing Sums (5)**

- Note that the Haskell code is *modular*, while the Java code is not.
- Being overly prescriptive regarding computational details (evaluation order) often hampers modularity.

We will discuss the last point in more depth later.

# **Typical Functional Features (2)**

 Implementation techniques aimed at executing code expressed in a functional style efficiently.

#### More?

#### **Typical Functional Features (1)**

Nevertheless, some typical features and characteristics of functional languages can be identified:

- Light-weight notation geared at
  - defining functions
  - expressing computation through function application.
- · Functions are first-class entities.
- Recursive (and co-recursive) function and data definitions central.

#### This and the Following Lectures

- In this and the following lectures we will explore *Purely Functional Programming* in the setting of *Haskell*.
- Some themes:
  - Lazy evaluation
  - Purely functional data structures
  - Effects purely
  - Advanced typeful programming

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# The GHC System (1)

- GHC supports Haskell 98, Haskell 2010, and many extensions
- GHC is currently the most advanced Haskell system available
- GHC is a compiler, but can also be used interactively: ideal for serious development as well as teaching and prototyping purposes

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#### The GHC System (2)

# On a Unix system, GHCi can be started from the prompt by simply typing the command ghci:

isis-1% ghci



GHC Interactive, version 6.3, for Haskell 98. http://www.haskell.org/ghc/ Type :? for help.

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Loading package base ... linking ... done. Prelude>

## The GHC System (3)

The GHCi > prompt means that the GHCi system is ready to evaluate an expression. For example:

```
> 2+3*4
14
> reverse [1,2,3]
[3,2,1]
> take 3 [1,2,3,4,5]
[1,2,3]
```

## **Function Application (1)**

In mathematics, function application is denoted using parentheses, and multiplication is often denoted using juxtaposition or space.

f(a,b) + c d

"Apply the function  $\pm$  to  $\mathtt{a}$  and  $\mathtt{b},$  and add the result to the product of  $\mathtt{c}$  and  $\mathtt{d}.$  "

# **Function Application (2)**

In Haskell, *function application* is denoted using *space*, and multiplication is denoted using \*.

 $f a b + c \star d$ 

Meaning as before, but Haskell syntax.

# What is a Type?

Deep question! But for now:

A *type* is a name for a collection of related values. For example, in Haskell the basic type

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Bool

contains the two logical values

False True

(Haskell's type system is *nominal* as opposed to structural: a type is only equal to itself.)

# **Function Application (3)**

Moreover, function application is assumed to have *higher priority* than all other operators. For example:

f a + b means (f a) + b not f (a + b)

# **Types in Haskell**

If evaluating an expression e would produce a value of type t, then e has type t, written
 e :: t

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- Every well-formed expression has a type. It can usually be calculated automatically at compile time using a process called type inference or type reconstruction (Hindley-Milner).
- However, giving manifest type declarations for at least top-level definitions is good practice.
- Sometimes *necessary* to state type explicitly, e.g. polymorphic recursion.

## **Basic Types**

Haskell has a number of *basic types*, including:

Bool	Logical values
Char	Single characters
Int	Fixed-precision integers
Integer	Arbitrary-precision integers
Double	Double-precision floating point

# List Types (1)

A *list* is sequence of values of the *same* type:

[False, True, False] :: [Bool]

['a','b','c','d'] :: [Char]

In general:

[t] is the type of lists with elements of type t.

# List Types (2)

Haskell defines the string type to be a list of characters:

```
type String = [Char]
```

String syntax is supported. For example:

"abcd" = ['a','b','c','d']

Note that the keyword type just introduces a *type synonym* or *type alias*. In contrast, data and newtype introduce new types.

# **Tuple Types**

A tuple is a sequence of values of *different* types:

(False, True) :: (Bool, Bool)

```
(False,'a',True) :: (Bool,Char,Bool)
```

In general:

 $(t_1, t_2, \ldots, t_n)$  is the type of *n*-tuples whose  $i^{\text{th}}$  component has type  $t_i$  for  $i \in [1 \ldots n]$ .

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# **Aside: Naming Conventions**

Haskell *enforces* certain naming conventions. For example:

- Type constructors (like Bool) and value constructors (like True) always begin with a capital letter.
- Variables (including function names) always begin with a lowercase letter.

A somewhat similar convention applies to infix operators where constructors are distinguished by starting with a colon (:).

# **Function Types (2)**

If a function needs more than one argument, pass a tuple, or use *Currying*:

(&&) :: Bool -> Bool -> Bool

This really means:

(&&) :: Bool  $\rightarrow$  (Bool  $\rightarrow$  Bool)

Idea: a function is applied to its arguments one by one. This allows *partial application*.

# Function Types (1)

A *function* is a mapping from values of one type to values of another type:

not :: Bool -> Bool

In general:

 $t_1 \rightarrow t_2$  is the type of functions that map values of type  $t_1$  to values to type  $t_2$ .

## **Aside: Functions and Operators**

 Any (infix) operator can be used as a (prefix) function by enclosing it in parentheses. E.g.:

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True && False

#### is equivalent to

(&&) True False

• Any function can be used as an operator by enclosing it in back quotes. E.g.:

```
add 1 2
is equivalent to
1 'add' 2
```

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## **Polymorphic Functions (1)**

A function is called *polymorphic* ("of many forms") if its type contains one or more type variables.

```
length :: [a] -> Int
```

"For any type a, length takes a list of values of type a and returns an integer."

This is called *Parametric Polymorphism*.

# **Exercise 1**

#### Given:

```
id :: a -> a
not :: Bool -> Bool
foo :: (a -> a) -> a -> a
fie :: (forall a . a -> a) -> a -> a
```

#### what is the type of each of:

```
foo id :: ?? forall a . a -> a
foo not :: ?? Bool -> Bool
fie id :: ?? forall a . a -> a
fie not :: ?? Type error
```

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## **Polymorphic Functions (2)**

The type signature of length is really:

length :: forall a . [a] -> Int

- It is understood that a is a type variable, and thus it ranges over all possible types.
- Haskell 2010 does not allow explicit foralls: all type variables are implicitly qualified at the outermost level.
- GHC extensions allow explicit foralls (e.g. -XRankNTypes or equivalent LANGUAGE pragma).

## **Types are Central in Haskell**

Some reasons:

- Expressive type system:
  - Parametric Polymorphism
  - Type classes
  - Many extensions ...
- Types say a *lot* about a function because Haskell is a pure language: no side effects (Referential Transparency).

For example, a function of type Int -> Int can only return an integer (or fail to terminate, which admittedly is a side effect).

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#### Parametricity

In fact, due to a property called *parametricity*, it goes even further: polymorphic types give rise to *free theorems* (Wadler 1989). For example:

For any function  $r :: forall a . [a] \rightarrow [a]$ , and every total function  $f :: t_1 \rightarrow t_2$  for some specific types  $t_1$  and  $t_2$ , we have:

map f.r = r.map f

This holds by virtue of r's polymorphic type: no need to even consider its definition!

## Hoogle

Hoogle is a Haskell API search engine:

http://www.haskell.org/hoogle/

Allows searching by function name or by *approximate type signature*.

For example, searching on

(a -> b) -> [a] -> [b]

turns up map, fmap, ...

# **Conditional Expressions**

As in most programming languages, functions can be defined using *conditional expressions*:

abs :: Int  $\rightarrow$  Int abs n = if n >= 0 then n else -n

# Alternatively, such a function can be defined using *guards*:

```
abs :: Int -> Int
abs n | n >= 0 = n
| otherwise = -n
```

#### Pattern Matching (1)

Many functions have a particularly clear definition using *pattern matching* on their arguments:

```
not :: Bool -> Bool
not False = True
not True = False
```

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# Pattern Matching (2)

*Case expressions* allow pattern matching to be performed wherever an expression is allowed, not just at the top-level of a function definition:



Internally, every non-empty list is constructed by repeated use of an operator (:) called "cons" that adds an element to the start of a list, starting from [], the *empty list*.

Thus:

```
[1,2,3,4]
```

#### means

1:(2:(3:(4:[])))

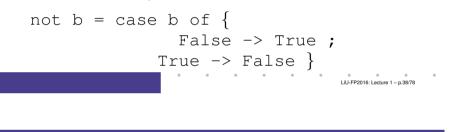
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### **Aside: Layout**

Haskell uses *layout* (indentation) to group code into blocks. For example, the following is a *syntax error*:

```
not b = case b of
False -> True
True -> False
```

Alternatively, explicit braces and semicolons can be used. It's even possible to mix and match:



## List patterns (2)

Functions on lists can be defined using x : xs patterns:

```
head :: [a] -> a
head (x:_) = x
tail :: [a] -> [a]
tail (_:xs) = xs
```

(Aside: partial. Generally, Haskell programmers strive to avoid defining or using partial functions.)

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## **Pattern Matching and Guards**

Pattern matching and guards may be combined:

```
dropWhile :: (a->Bool) -> [a] -> [a]
dropWhile _ [] = []
dropWhile p xxs@(x:xs)
  | p x = dropWhile p xs
  | otherwise = xxs
```

```
(Note the as-pattern (@).)
```

## Lambda Expressions

A function can be constructed without giving it a name by using a *lambda expression*:

 $\langle x \rightarrow x + 1$ 

"The nameless function that takes a number  ${\rm x}$  and returns the result  ${\rm x}~+~$  1"

Note that the ASCII character  $\setminus$  stands for  $\lambda$  (lambda).

#### **List Comprehensions**

*List comprehensions*, similar to standard mathematical set notation, are very useful for expressing computations on lists:

```
[ x * x | x <- [1..10], odd x ]
= [1,9,25,49,81]
[ (x,y) | x <- [1..10],
        y <- [1..10],
        even (x + y) ]
= [(1,1),(1,3),(1,5),...
        ...(10,8),(10,10)]
```

#### **Currying Revisited**

*All* functions in Haskell are (nested)  $\lambda$ -abstractions. This explains how Currying works.

For example:

add x y = x+y

means

add =  $\langle x \rightarrow (\langle y \rightarrow x + y \rangle)$ 

Thus:

add 7 = 
$$(\x -> (\y -> x+y))$$
 7  
=  $(\y -> 7+y)$ 

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## **Aside: Operator Sections**

Another syntactic nicety in Haskell is partially applied operators or *operator sections*. For example:

Add 1	1	+	Х	< ->	\x	=	(+1)
Add 1	Х	+	1	< ->	\x	=	(1+)
Multiply by 2	2	*	Х	< ->	\x	=	(*2)
Divide by 2	2	/	Х	< ->	\x	=	(/2)
Reciprocal	х	/	1	< ->	\x	=	(1/)

# **Local Definitions**

Haskell provides two ways to introduce local definitions:

- let-expressions
- where-clauses

f x = h x + cwhere h x = x \* x c = 100 g x = let h x = x \* x c = 100h x + c

Again, the definitions can be (mutually) recursive.

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#### **Recursive Definitions**

- Definitions in Haskell may in general be (mutually) recursive.
- Order of definition is immaterial.

foo  $x = \dots$  fum  $(x - 1) \dots$ fie  $x = \dots$  fie  $(x - 1) \dots$ fum  $x = \dots$  foo  $(x - 1) \dots$ 

• To allow inference of maximally polymorphic types, definitions are grouped into minimal recursive groups prior to type checking.

# **Data Declarations (1)**

A new type can be declared by specifying its set of values using a *data declaration*. For example, Bool is in principle defined as:

data Bool = False | True

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#### **Data Declarations (2)**

What happens is:

- A new type Bool is introduced
- *Constructors* (functions to build values of the type) are introduced:

```
False :: Bool
True :: Bool
```

(In this case, just constants.)

 Because constructor functions are bijective, and thus in particular injective, pattern matching can be used to take values of defined types apart.

# **Recursive Types** (1)

New types can be declared in terms of themselves. That is, types can be (mutually) *recursive*:

```
data Nat = Zero | Succ Nat
```

 ${\tt Nat}$  is a new type with constructors

- Zero :: Nat
- Succ :: Nat -> Nat

Effectively, we get both a new way to form terms and typing rules for these new terms.

## **Data Declarations (3)**

Values of new types can be used in the same ways as those of built in types. E.g., given:

```
data Answer = Yes | No | Unknown
we can define:
```

```
answers :: [Answer]
answers = [Yes,No,Unknown]
flip :: Answer -> Answer
flip Yes = No
flip No = Yes
flip Unknown = Unknown
```

# **Recursive Types (2)**

A value of type Nat is either Zero, or of the form Succ n where n :: Nat. That is, Nat contains the following infinite sequence of values:

Zero

Succ Zero

Succ (Succ Zero)

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## **Recursion and Recursive Types**

Using recursion, it is easy to define functions that convert between values of type Nat and Int:

```
nat2int :: Nat -> Int
nat2int Zero = 0
nat2int (Succ n) = 1 + nat2int n
int2nat :: Int -> Nat
int2nat 0 = Zero
int2nat n \mid n \ge 1 = Succ (int2nat (n - 1))
```

# **Overloading** (1)

Haskell supports a form of *overloading*: using the same name to refer to different definitions. depending on the involved types. For example:

(==) :: Eq a => a -> a -> Bool

This means == is defined for any type a belonging to the type class Eq.

This style of overloading is also known as ad hoc polymorphism.

#### **Parameterized Types**

Types can also be parameterized on other types:

```
data List a = Nil | Cons a (List a)
data Tree a = Leaf a
            | Node (Tree a) (Tree a)
```

Resulting constructors:

Nil :: List a Cons :: a -> List a -> List a Leaf :: a -> Tree a Node :: Tree a -> Tree a -> Tree a

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#### **Overloading** (2)

In particular, Bool and Char both belong to Eq. so the following two expressions are well-typed:

```
True == False
'a' == 'b'
```

Behind the scenes, the equality test is dispatched to the appropriate function for Bool and Eq respectively.

A powerful (and unusual) aspect of Haskell's approach to overloading is that overloading on the result type is possible. E.g.:

read :: Read a => String -> a

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# **Overloading** (3)

We will discuss type classes in more depth later. However, it is useful to know that Haskell allow class instances for new types to be *derived* for a handful of built in classes, notably Eq, Ord, and Show:

```
data Nat = Zero
| Succ Nat
deriving (Eq, Ord, Show)
```

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Now show (Succ (Succ Zero)) yields "Succ (Succ Zero)".

# Modules in Haskell (2)

By default, only entities defined within a module are in scope. But a module can *import* other modules, bringing their definitions into scope:

```
module A where

f1 x = x + x

f2 x = x + 3

f3 x = 7

module B where

import A

g x = f1 x \star f2 x + f3 x
```

#### Modules in Haskell (1)

- A Haskell program consists of a set of modules.
- A module contains definitions:
  - functions
  - types
  - type classes
- The top module is called Main:
  - module Main where

```
main = putStrLn "Hello World!"
```

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#### **The Prelude**

There is one special module called the *Prelude*. It is *imported implicitly* into every module and contains standard definitions, e.g.:

- Basic types (Int, Bool, tuples, [], Maybe, ...)
- Basic arithmetic operations (+, \*, ...)
- Basic tuple and list operations (fst, snd, head, tail, take, map, filter, length, zip, unzip, ...)

(It is possible to explicitly exclude (parts of) the Prelude if necessary.)

# **Qualified Names (1)**

The *fully qualified name* of an entity x defined in module M is M.x.

g x = A.f1 x \* A.f2 x + f3 x

*Note! Different from function composition!!!* Always write function composition with spaces:

f.g

The module *name space* is *hierarchical*, with names of the form  $M_1 \, M_2 \, \ldots \, M_n$ . This allows related modules to be grouped together.

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## **Import Variations**

Another way to resolve name clashes is to be more precise about imports:

import	A (f1,f2)	Only f1 and f2
import	A hiding (f1,f2)	Everything but f1
import	qualified A	and f2 All names from A imported fully qualified only.

Can be combined in all possible ways; e.g.:

import qualified A hiding (f1, f2)

## **Qualified Names (2)**

Fully qualified names can be used to resolve name clashes. Consider:

module A where	module C where
$f x = 2 \star x$	import A
	import B
module B where	
f x = 3 * x	g x = A.f x + B.f x

Two different functions with the same unqualified name f in scope in C. Need to write A.f or B.f to disambiguate.

# **Export Lists**

It is also possible to be precise about what is *exported*:

module A (f1, f2) where

•••

Various abbreviations possible; e.g.:

- A type constructor along with all its value constructors
- Everything imported from a specific module

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# Labelled Fields (1)

Suppose we need to represent data about people:

- Name
- Age
- Phone number
- Post code

#### One possibility: use a tuple:

```
type Person = (String, Int, String, String)
henrik = ("Henrik", 25, "8466506", "NG92YZ")
```

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# Labelled Fields (3)

# Can we do better? Yes, we can introduce a new type with *named fields*:

```
data Person = Person {
    name :: String,
    age :: Int,
    phone :: String,
    postcode :: String
    }
    deriving (Eq, Show)
```

# Labelled Fields (2)

Problems? Well, the type does not say much about the purpose of the fields! Easy to make mistakes; e.g.:

```
getPhoneNumber :: Person -> String
getPhoneNumber (_, _, _, pn) = pn
```

#### or

henrik = ("Henrik", 25, "NG92YZ", "8466506")

## Labelled Fields (4)

Labelled fields are just "syntactic sugar": the defined type really is this:

data Person = Person String Int String String

and can be used as normal.

However, additionally, the field names can be used to facilitate:

- Construction
- Update
- Selection
- Pattern matching

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#### Construction

We can construct data without having to remember the field order:

```
henrik = Person {
    age = 25,
    name = "Henrik",
    postcode = "NG92YZ",
    phone = "8466506"
}
```



How does "update" work?

```
henrik { phone = "1234567" }
```

gets translated to something like this:

```
f (Person al a2 _ a4) =
Person al a2 "1234567" a4
```

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f henrik



Fields can be "updated", creating new values from old:

```
> henrik { phone = "1234567" }
Person {name = "Henrik", age = 25,
phone = "1234567",
postcode = "NG92YZ"}
```

Note: This is a *functional* "update"! The old value is left intact.

#### Selection

We automatically get a *selector function* for each field:

name	::	Person	->	String
age	::	Person	->	Int
phone	::	Person	->	String
postcode	::	Person	->	String

#### For example:

```
> name henrik
"Henrik"
> phone henrik
"8466506"
```

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### **Pattern matching**

Field names can be used in pattern matching, allowing us to forget about the field order and pick *only* fields of interest.

```
phoneAge (Person {phone = p, age = a}) =
    p ++ ": " ++ show a
```

This facilitates adding new fields to a type as most of the pattern matching code usually can be left unchanged.

## **Multiple Value Constructors (2)**

It is OK to have the same field labels for different constructors as long as their types agree.

#### **Multiple Value Constructors (1)**

```
data Being = Person {
                               :: String,
                    name
                    age
                               :: Int,
                    phone
                               :: String,
                    postcode :: String
             | Alien {
                                :: String,
                    name
                                :: Int,
                    aqe
                    homeworld :: String
               }
             deriving (Eq, Show)
                                             LiU-FP2016: Lecture 1 - p.74/78
```

#### **Distinct Field Labels for Distinct Types**

It is *not* possible to have the same field names for *different* types! The following does not work:

data X = MkX { field1 :: Int }

data Y = MkY { field1 :: Int, field2 :: Int }

#### One work-around: use a prefix convention:

data X = MkX { xField1 :: Int }

data Y = MkY { yField1 :: Int, yField2:: Int}

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#### **Advantages of Labelled Fields**

- Makes intent clearer.
- Allows construction and pattern matching without having to remember the field order.
- Provides a convenient update notation.
- Allows to focus on specific fields of interest when pattern matching.
- Addition or removal of fields only affects function definitions where these fields really are used.

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#### Reading

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